
Warm-Up

- 1) How many and what type of solutions does the following equation have:

$$-16m^2 + 6m - 3 = 6 - 8m^2$$

Solve each of the following using the quadratic formula:

2) $2n^2 + 11 = 12n$

$$\frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

3) $v^2 + 4 = 13$

Answers to Homework #8

- 1) -12 ; two imaginary solutions 2) 196 ; two real solutions 3) $\left\{5, -\frac{5}{3}\right\}$
- 4) $\left\{3, -\frac{4}{5}\right\}$ 5) $\left\{\frac{-5 + \sqrt{65}}{10}, \frac{-5 - \sqrt{65}}{10}\right\}$ 6) $\left\{\frac{1 + \sqrt{13}}{4}, \frac{1 - \sqrt{13}}{4}\right\}$
- 7) $\left\{\frac{5 + 2i\sqrt{5}}{5}, \frac{5 - 2i\sqrt{5}}{5}\right\}$ 8) $\{9, -9\}$ 9) $\{\sqrt{41}, -\sqrt{41}\}$
- 10) $\left\{\frac{7}{2}, -\frac{3}{2}\right\}$

Objective

Today we will:

- Graph Quadratic Functions
- Identify and label parts of the graph

Agenda:

- Notes/Examples
- Practice Graphing
- Lesson Check
- Independent Practice/Questions

What is a parent graph?

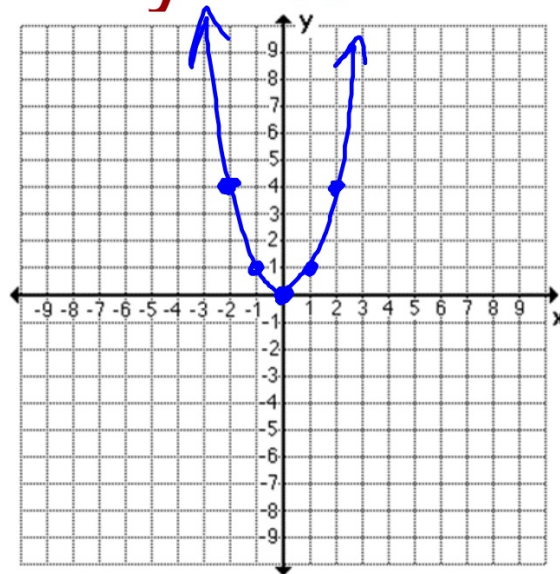
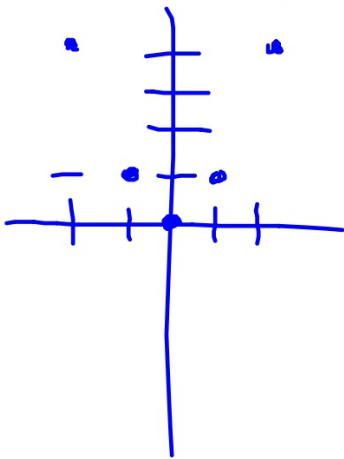
What can the vertex also be referred to as?

How does the AOS help make graphing easier?

What is the relation between zeros and X-Intercepts?

Quadratic Parent Graph

$$y = x^2$$



$(0,0)$
 $(1,1)$
 $(-1,1)$
 $(2,4)$
 $(-2,4)$

Graphing Quadratic Functions

Parts we need:

- Vertex
- Axis of Symmetry (AOS)
- Direction
- Y-Intercept
- Other Points
- X-Intercepts

Example 1:

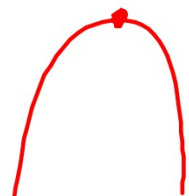
$$f(x) = x^2 - 8x + 15$$

Vertex:

$$\left(\underbrace{\frac{-b}{2a}}_x, \underbrace{f(x)}_y \right)$$



- Vertex is either the lowest point, minimum
or the highest point, maximum



Axis of Symmetry (AOS)

$$x = \frac{-b}{2a}$$

- Vertical Line that goes through the vertex and cuts the parabola in half

Direction: Up or Down?

Up: Positive a value U

Down: Negative a value ∩

Y -Intercept

Plug in Zero for X!!

This is a point!

Other Points

- Set up a table
- Use X values near vertex
- Remember graph is symmetrical!

$$X = 7 \quad \{7, -3\} \quad \text{X-Intercepts} \quad \begin{pmatrix} 7, 0 \\ -3, 0 \end{pmatrix}$$

$$X = -3$$

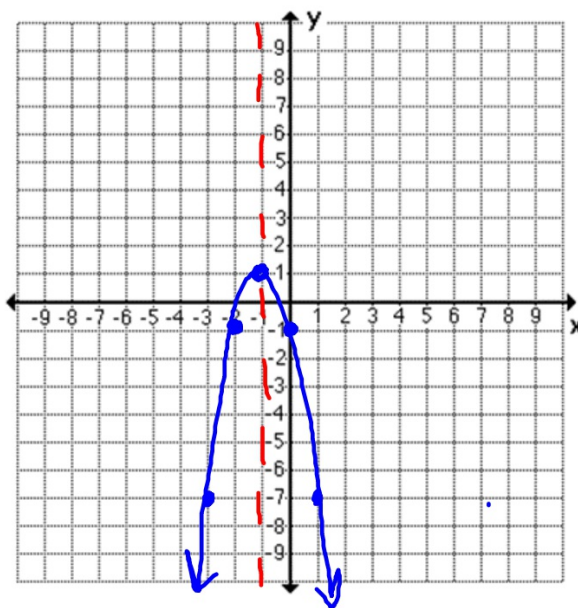
- Related to Solutions (Solution, 0)
- Use full Coordinate
- Complex Quadratics have solutions but no X-Intercepts

$$X = \frac{3 \pm 2i}{5} \quad \therefore \text{Solutions}$$

None: X-Int

Example 2:

$$f(x) = -2x^2 - 4x - 1$$



Vertex: $\frac{-b}{2a} = \frac{4}{-4} = (-1, 1)$

AOS: $x = -1$

Y-Int: $(0, -1)$

Points:

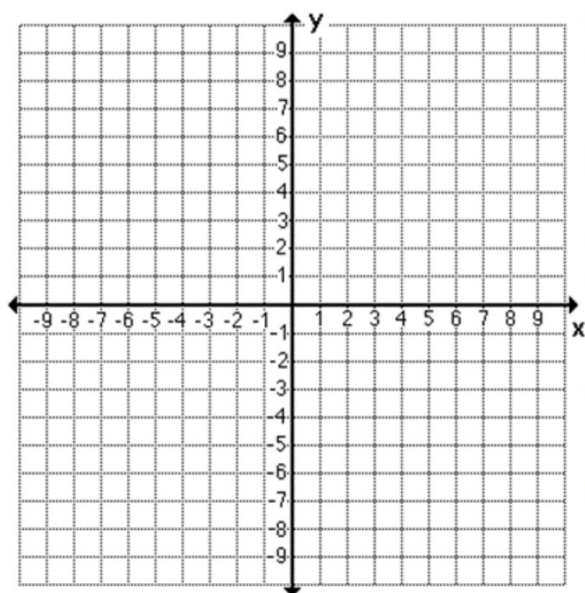
x	0	-1	-2	1	-3
y	-1	1	-1	-7	-7

Zeros: $\frac{2 \pm \sqrt{2}}{-2}$

X-Int: $(-1.7, 0) (-.29, 0)$

Example 3:

$$f(x) = x^2 + 6x + 7$$



Vertex:

AOS:

Y-Int:

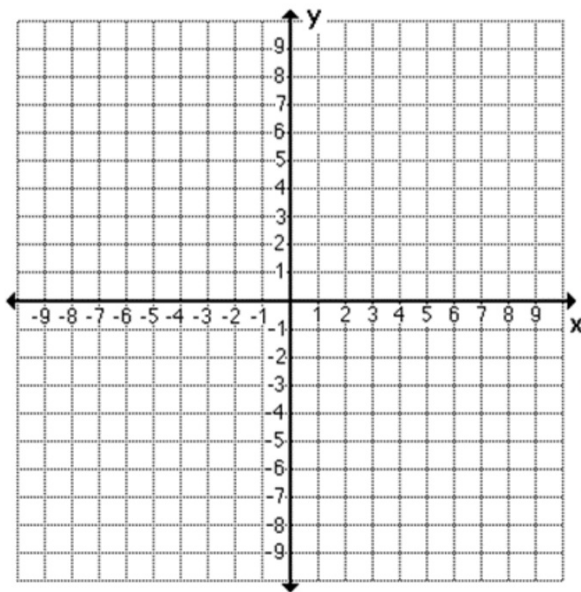
Points:

Zeros:

X-Int:

Example 4:

$$f(x) = -2x^2 + 16x - 34$$



Vertex:

AOS:

Y-Int:

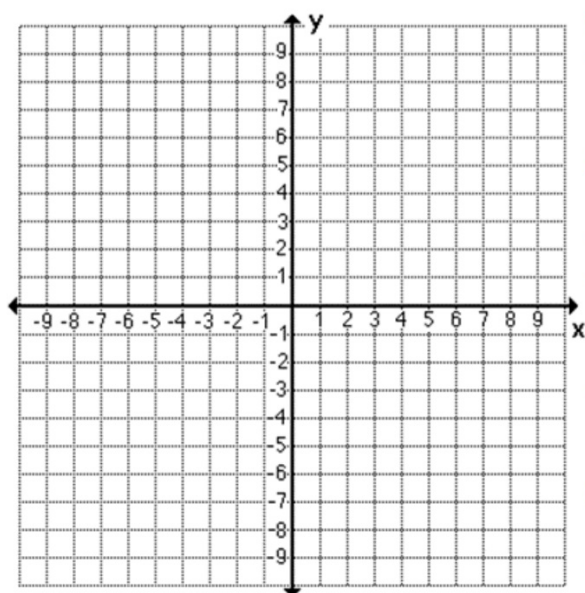
Points:

Zeros:

X-Int:

Example 5:

$$f(x) = -x^2 - 8x - 17$$



Vertex:

AOS:

Y-Int:

Points:

Zeros:

X-Int:

Wrap - Up

What is a parent graph?

What can the vertex also be referred to as?

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What is the relation between zeros and X-Intercepts?

